

What parameters are necessary to analyze the high beta confinement properties for ISHCDB? And its definition?

On the low beta confinement properties,

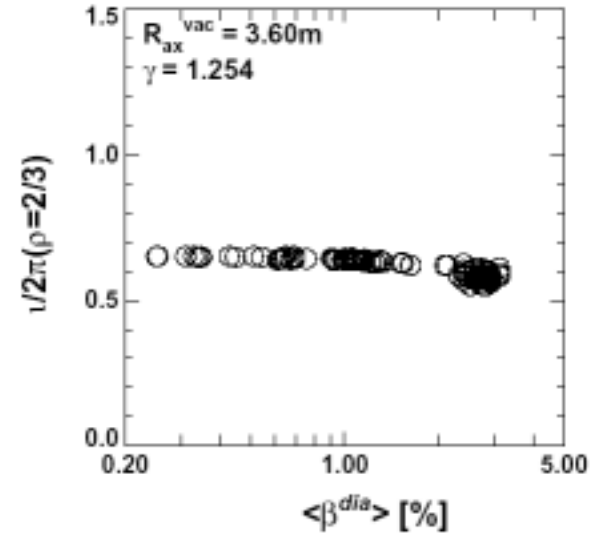
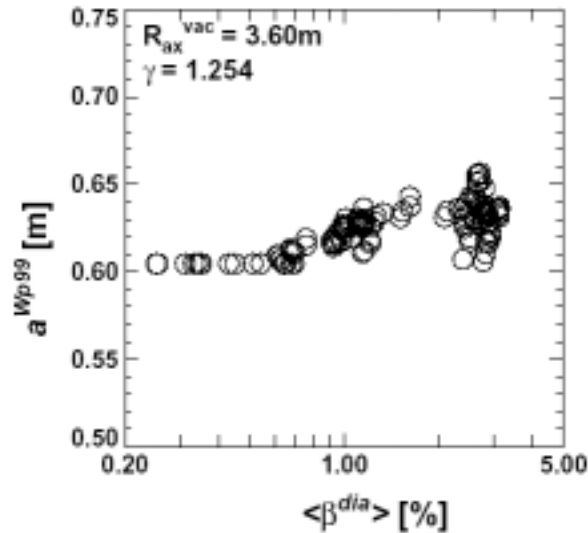
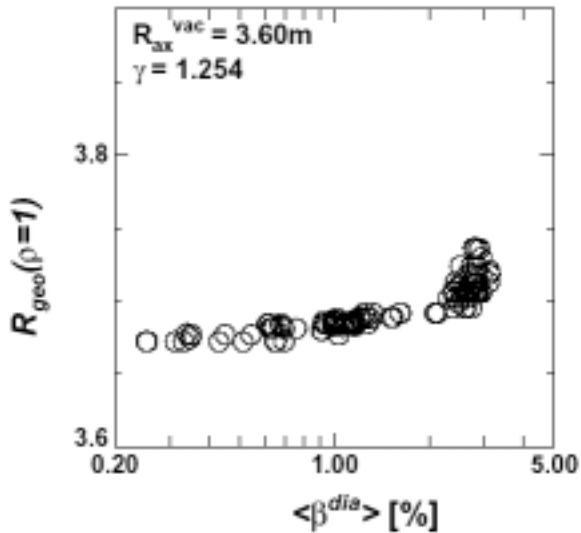
$W_{p\text{-dia}}, \Phi_t^v, V_p^v, R^v(\rho=1), a_p^v, \iota_{2/3}^v, B_{av}^v, B_0, R_0$

$P_{NB_pt}, P_{NB_eabs}, (P_{ECH}^{??}, P_{ICH}^{??})$

???

Most of configuration parameters change as beta increases.

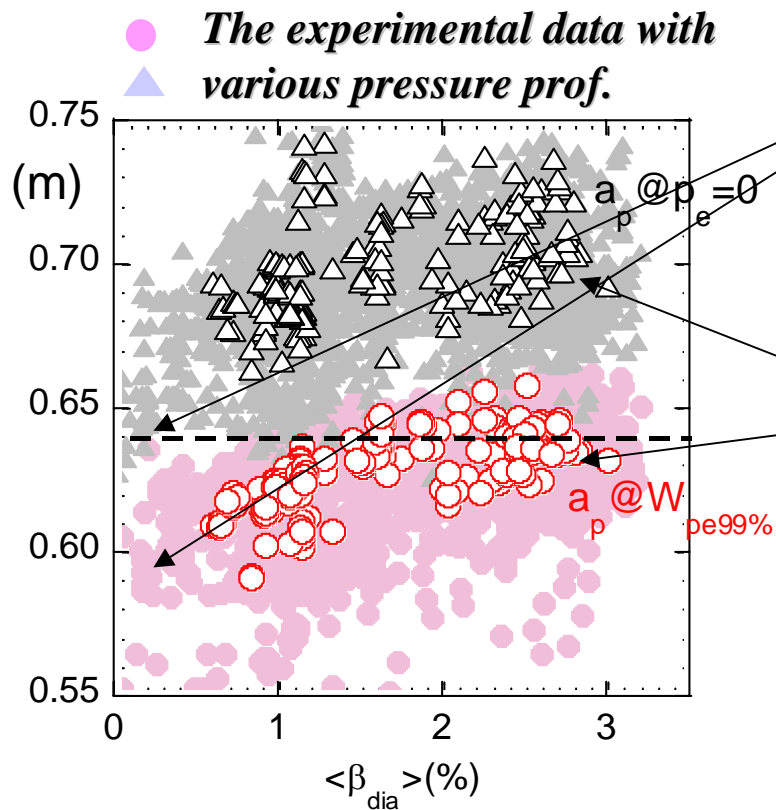
Most of configuration parameters change as beta increases.



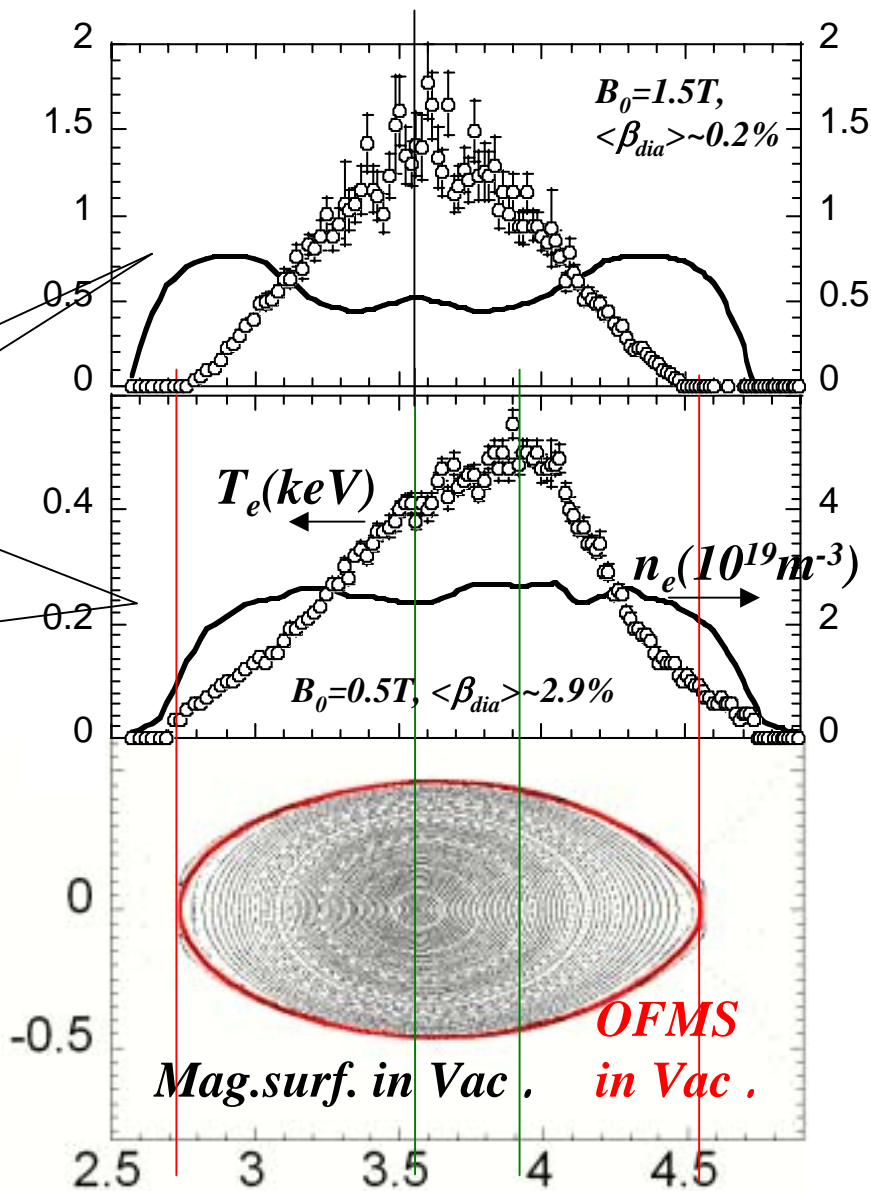
Fromby H.Funaba
, PFR to published

$$\tau_{ISS95} \propto a^{2.21} R^{0.65} P^{-0.59} n_e^{0.51} B^{0.83} l_{2/3}^{0.4}$$

Change of a_p due to β

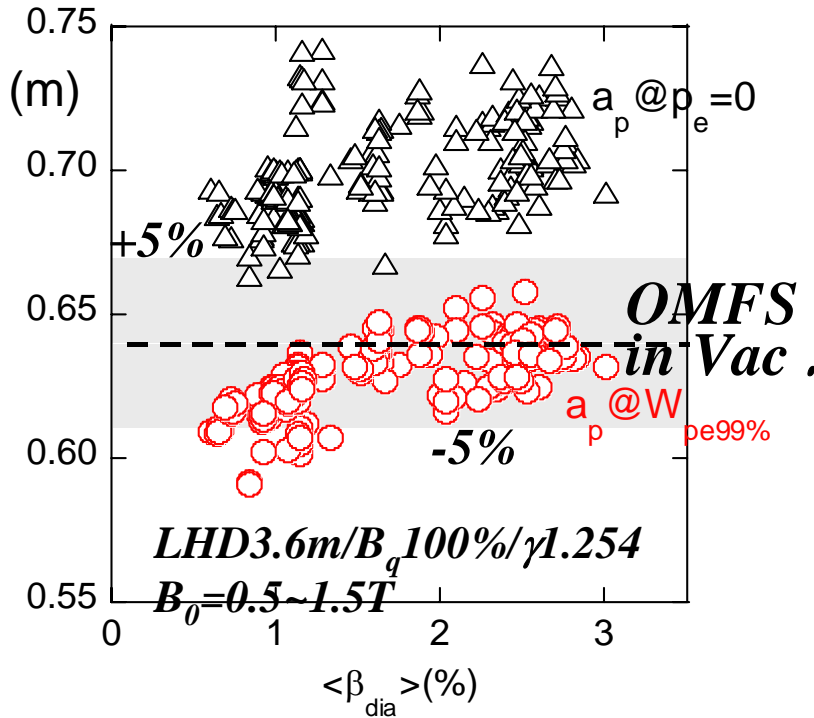


LHD3.6m/ B_q 100%/ γ 1.254
 $B_0 = 0.5 \sim 1.5T$



Change of a_p due to β

The data with similar pressure profile to $\beta \sim (1 - \rho^2)$.



The “plasma radius” increases with beta value.

Finite pressure exists outside of the OMFS in Vac.

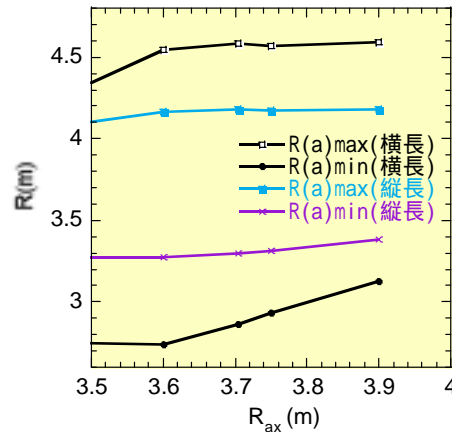
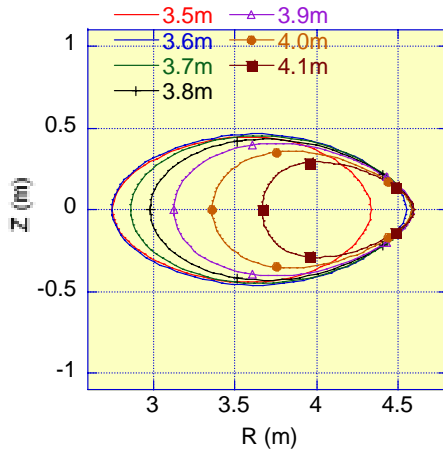
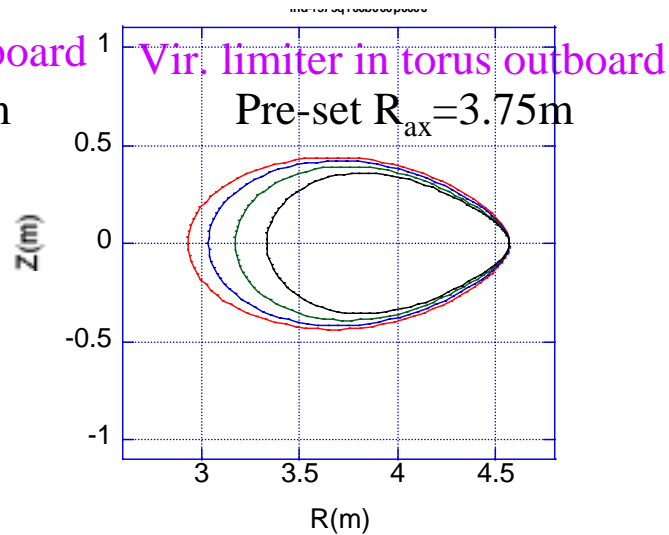
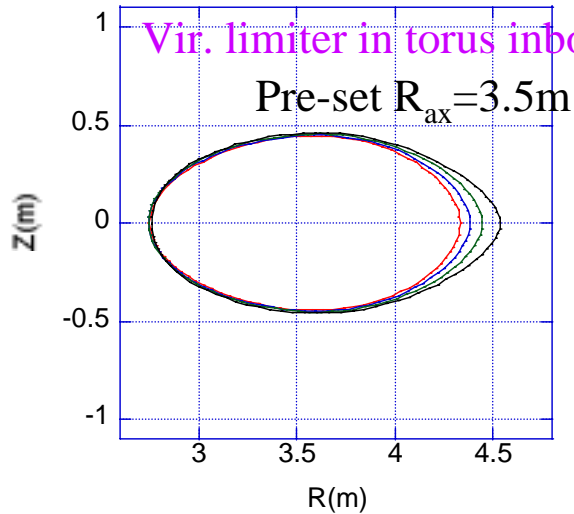
Both “plasma radius”’s based on $p_e = 0$ and $W_{pe} = 99\%$ in $\beta \sim 3\%$ are larger by $\sim 10\%$ than those in low β .

The change of a_p is fairly large.
=> It changes t_E by $>20\%$ in ISS95.

a_p in the LHD global confinement study at present
In low beta, a_p of the OMFS in Vac.
In high beta, $a_p @ W_{pe99\%}$

The definition of $\rho = 1$ in LHD high beta plasmas I

$\rho=1$ surf. passes the torus outboard side of LCFS of vac. at horizontally elongated cross-section/ or the torus inboard side of LCFS of vac. at vertically elongated cross-section.



Change of mag. surf.
due to B_V in vac.

The definition of $\rho = 1$ in LHD high beta plasmas II

$\rho = 1$ surf. passes the torus outboard side of LCFS of vac. at horizontally elongated cross-section/ or the torus inboard side of LCFS of vac. at vertically elongated cross-section.

pre-set $R_{ax} = 3.6\text{m}$, $B_q = 100\%$, $\gamma = 1.254$

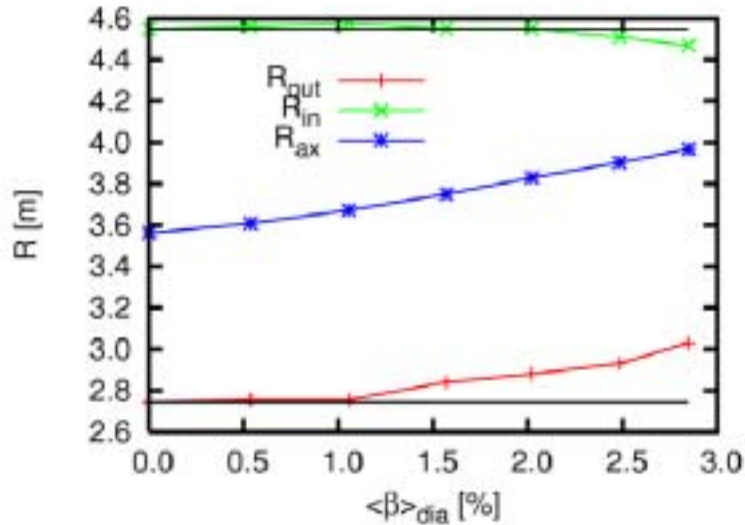
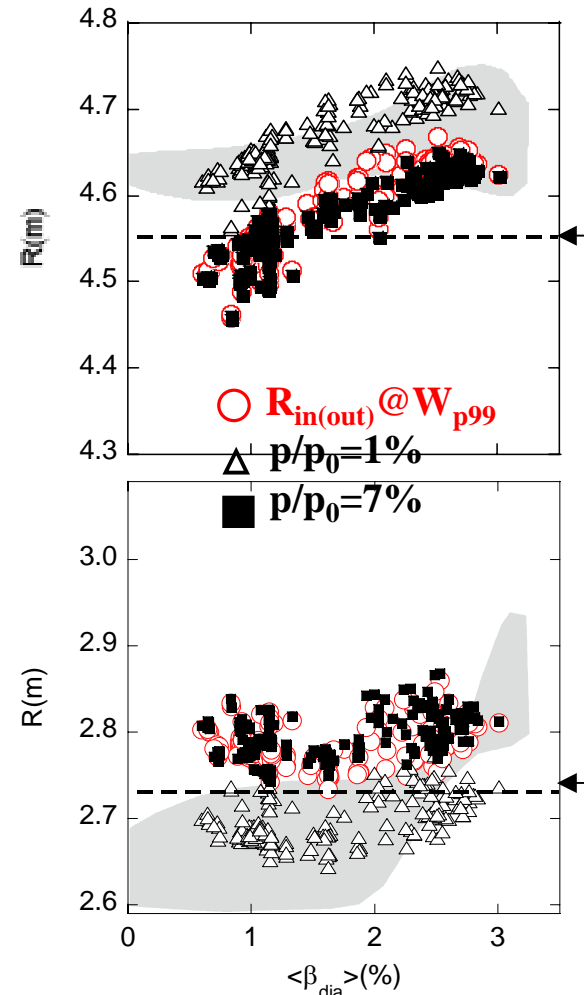


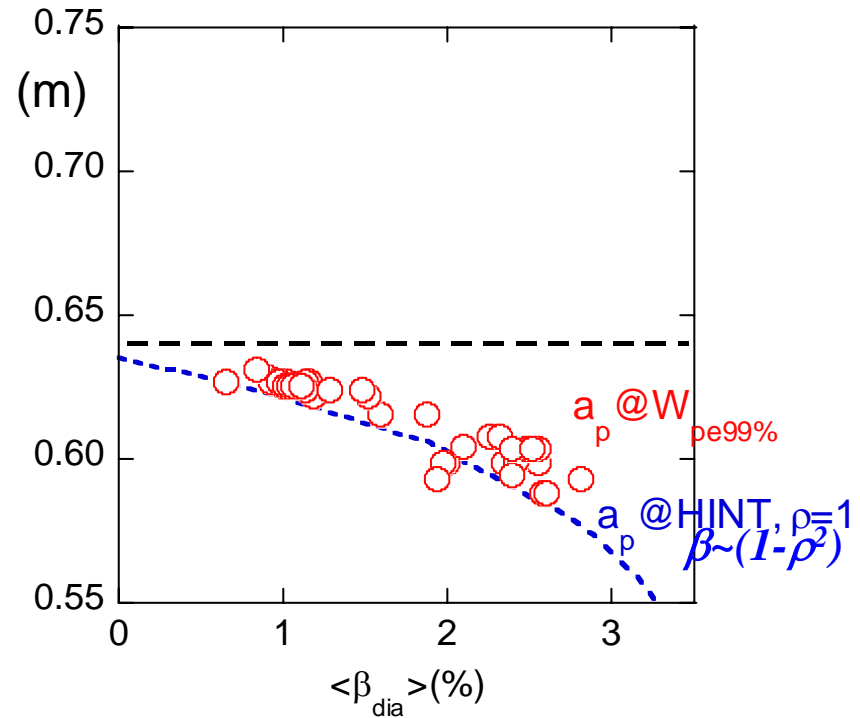
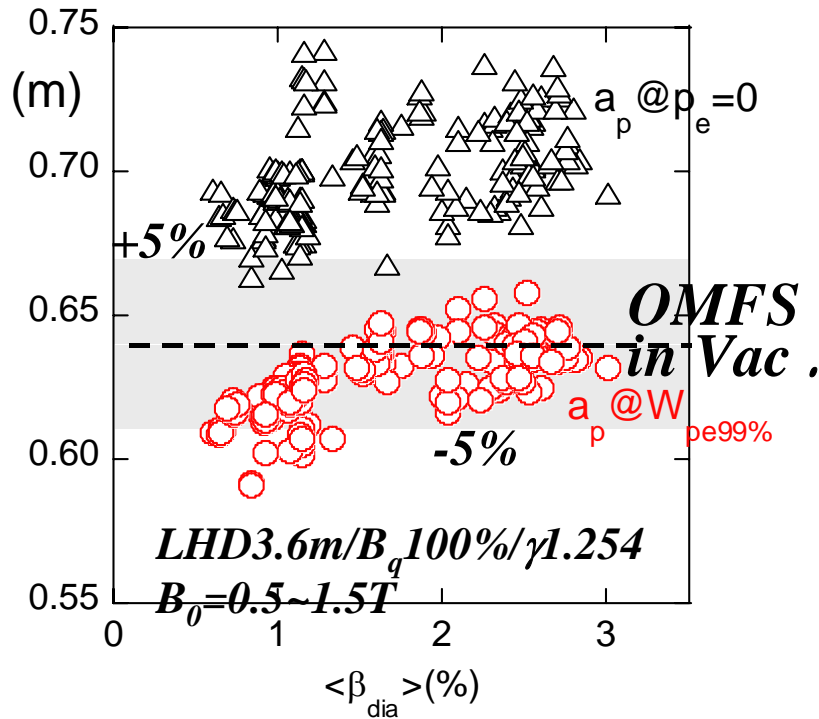
Fig.4 The change of positions of inward (red) and outward (green) LCFS on the plane corresponding to fig. 1 is plotted as the function of $\langle\beta\rangle_{dia}$. The shift of the axis is also plotted for the reference (blue).

From Proceedings of ITC/ISHW2007
by Y.Suzuki



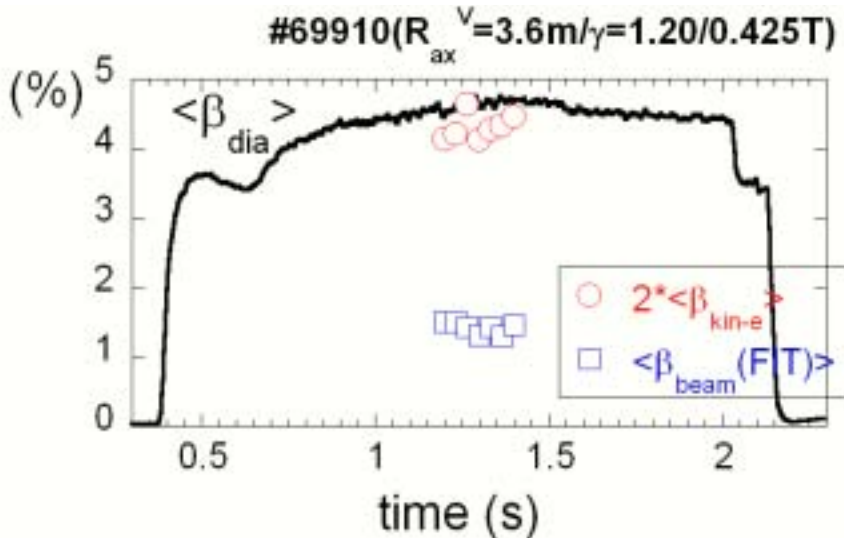
Change of a_p due to β

The data with similar pressure profile to $\beta \sim (1 - \rho^2)$.



$\rho = 1$ surf. passes the torus outboard side of LCFS of vac. at horizontally elongated cross-section.

Present and future definition of $\langle \beta \rangle$ in LHD



- $\langle \beta_{dia} \rangle$; based on the diamagnetic meas.
- $\langle \beta_{kin} \rangle$; based on the T_e and n_e profile meas.
- $\langle \beta_{beam} \rangle$; based on the calculation by FIT

Present def.

$$\langle \beta_{dia} \rangle \equiv \frac{2W_{p-dia} / 3V_p^V}{B_{av}^V / 2\mu_0}$$

Port-through power //NBI 13.8MW

$\langle \beta_{dia} \rangle$; 4.8% ($\beta_{perp} \sim 3.2$)

$\langle \beta_{kin} \rangle$; 4.3% (=2* $\langle \beta_{kin-e} \rangle$)

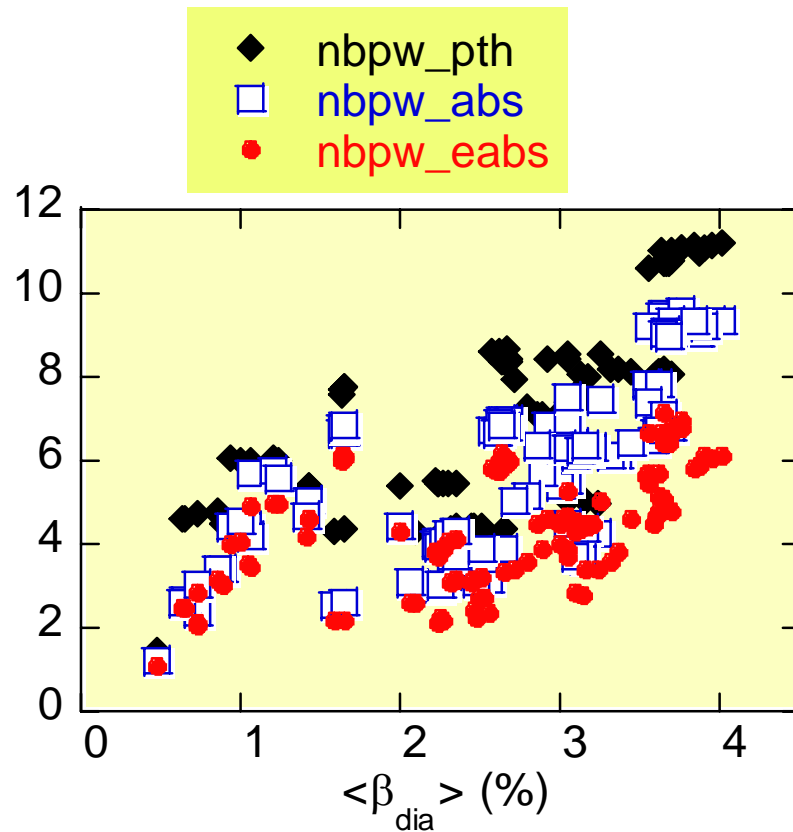
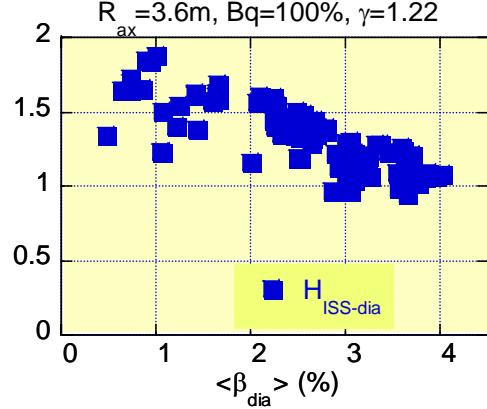
$\langle \beta_{beam} \rangle$; 1.5% (Cal. by FIT code)

When $Z_{eff}=2.5$, $\langle \beta_{kin} \rangle \sim 3.6%$ ($\beta_{perp} \sim 2.45$),

$\langle \beta_{beam} \rangle_{perp} \sim 0.75%$, $\langle \beta_{beam} \rangle_{ara} \sim 0.75%$

A candidate of Future def.

$$\langle \beta \rangle \equiv \frac{2(W_{kin} + W_{beam}) / 3V_p^{Wpe99}}{B_{av}^{Wpe99} / 2\mu_0}$$



Heating power of NBI in LHD

P_{NB_pt} ; port through power

P_{NB_abs} ; $P_{NB_pt} - P_{NB_st}$; P_{NB_st} (shine-through) is estimated by calory meter.

P_{NB_ecabs} ; the prompt loss taken into account sot by shot by FIT in P_{NB_abs}

P_{NB_cabs} ; calculated absorption power by FIT

What parameters are necessary to analyze the high beta confinement properties for ISHCDB? And its definition?

LHD has a lot of shots with profiles data. We would like to **register the data with high quality for ISHCDB.**

As high beta DB from LHD, we want to register W_{p-dia} , P_{NB-pt} , B_{av}^V , $t_{2/3}^V$, a_p^V , $R^V(\rho=1)$, W_{p-kine} , P_{NB_eabs} , P_{NB_ceabs} , a_p^{Wpe99} , R^{Wpe99} , B^{Wpe99} , $t_{2/3}^{Wpe99}$.

in addition to the parameters needed in other devices.

=>

The data, the p_e profile analysis of which has been processed, and which has the P_{NBI_eabs} , will be registered.

Plasma minor radius; a_p

a_p^V ; Based on LCFS in vacuum

As the equilibrium, select the best fitting data of the T_e profile

$a_p^{W_{pe99}}$; 99% of the integrated p_e is included. where p_e is estimated by profile measurements of T_e and n_e .

a_p^{pe0} ; up to $p_e=0$.

$a_p(\rho=1)$; up to $\rho=1$ magnetic surface. The $\rho=1$ magnetic surface passes a point of LCFS in vacuum.

As the equilibrium, select the data with consistent W_{p-dia} and the typical pressure profile.

$a_p^{model}(\rho=1)$; up to $\rho=1$ magnetic surface. The $\rho=1$ magnetic surface passes a point of LCFS in vacuum.

Rotational transform; $\iota_{2/3}$

Strongly depends on definition of a_p .

And current profile.

Plasma major radius

R_0 ; the major radius of the toroidally averaged magnetic axis in vacuum.

R_{av}^v ; the major radius of the center of the toroidally averaged LCFS in vacuum.

R_{av}^β ; the major radius the center of the toroidally averaged LCFS in finite beta.

R_{av}^{Wpe99} ; the major radius the center of a toroidally averaged mag. surf. based on a_p^{Wpe99} .

Magnetic field strength

B_0 ; B_t at R_0 in vacuum.

B_{av}^v ; the averaged B_t based on the Φ_t of LCFS in vacuum.

B_{av}^β ; the averaged B_t based on the Φ_t in finite beta.

; This value is sensitive to the definition of a_p .

B_{av}^{Wpe99} ; the averaged B_t based on a_p^{Wpe99} .